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# DATA DIMENSIONALITY REDUCTION FOR NEURAL BASED CLASSIFICATION OF OPTICAL SURFACES DEFECTS

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**Abstract:** A major step for high-quality optical surfaces faults diagnosis concerns scratches and digs defects characterization in products. This challenging operation is very important since it is directly linked with the produced optical component's quality. A classification phase is mandatory to complete optical devices diagnosis since a number of correctable defects are usually present beside the potential "abiding" ones. Unfortunately relevant data extracted from raw image during defects detection phase are high dimensional. This can have harmful effect on the behaviors of artificial neural networks which are suitable to perform such a challenging classification. Reducing data dimension to a smaller value can decrease the problems related to high dimensionality. In this paper we compare different techniques which permit dimensionality reduction and evaluate their impact on classification tasks performances.

**Keywords:** Computer Aided Diagnosis Systems (CADS), Artificial Intelligent systems, Industrial applications, Artificial Neural Network, Dimensionality Reduction, Curvilinear Component Analysis (CCA), Curvilinear Distance Analysis (CDA), Self Organizing Maps (SOM).

#### **1. INTRODUCTION**

We are involved in fault diagnosis of optical devices in industrial environment. In fact, classification of detected faults is among chief phases for succeeding in such diagnosis. Aesthetic flaws, shaped during different manufacturing steps, could provoke harmful effects on optical devices' functional specificities, as well as on their optical performances by generating undesirable scatter light, which could seriously degrade the expected optical features. Taking into account the above-mentioned points, a reliable diagnosis of these defects in highquality optical devices becomes a crucial task to ensure products' nominal specification and to enhance the production quality. Moreover, the diagnosis of these defects is strongly motivated by manufacturing process correction requirements in order to guarantee mass production (repetitive) quality with the aim of maintaining acceptable production yield.

Unfortunately, detecting and measuring such defects is still a challenging dilemma in production conditions and the few available automatic control solutions remain ineffective. That's why, in most of cases, the diagnosis is performed on the basis of a human expert based visual inspection of the whole production. However, this usual solution suffers from several acute restrictions related to human operator's intrinsic limitations (reduced sensitivity for very small defects, detection exhaustiveness alteration due to attentiveness shrinkage, operator's tiredness and weariness due to repetitive nature of fault detection and fault diagnosis tasks).

To overcome these problems we have proposed a detection approach based on Nomarski's microscopy issued imaging [1] [2]. This method provides robust detection and reliable measurement of outward defects, making plausible a fully automatic inspection of optical products. However, the abovementioned detection process should be completed by an automatic classification system in order to discriminate the "false" defects (correctable defects) from "true" (permanent) ones. In fact, because of industrial environment, a number of correctable defects (like dusts or cleaning marks) are usually present beside the potential abiding defects. That is why the association of a faults' classification system to the aforementioned detection module is a foremost supply to ensure a reliable diagnosis. In a precedent paper [3], we proposed a method to extract relevant data from raw Nomarski images. In the aim of effectively classify these descriptors, neural network based techniques seem appropriate because they have shown many attractive features in complex pattern recognition and classification tasks [4] [5]. But we are dealing with high dimensional data (13 and more components vectors) so behaviors of a number of these algorithms could be affected. To avoid this problem we are investigating different dimension reduction techniques for achieving better classification (in terms of performance and processing time).

This paper is organized as follows: in the next section, motivations for data dimensionality reduction and also Self Organizing Maps (SOM), Component Analysis (CCA) and Curvilinear Distance Analysis (CDA), three techniques to perform this task are introduced. These techniques have been tested using an experimental protocol presented in Section 3. The Section 4 deals with experiments results: first a comparison of data projections quality and an analysis of their possible impact on classification tasks are carried out. Secondly this impact is studied on a real problem involving classification Multilayer Percepton artificial neural network, and the obtained results are discussed. The Section 5 concludes this work and gives a number of perspectives.

#### 2. DATA DIMENSIONALITY REDUCTION TECHNIQUES

It can be found in literature, lot of examples using various dimension reduction techniques (linear or not) as a preliminary step before more refined processing:, Principal Component Analysis (PCA) [6], Self Organizing Maps (SOM) [7;8], Curvilinear (CCA) [9;10] or (CDA) [11].

Dealing with high-dimensional data indeed poses problems, known as "curse of dimensionality" [10]. First sample number required to reach a predefined level of precision in approximation tasks increases exponentially with dimension. Thus, intuitively, the sample number needed to properly learn highdimensional data becomes quickly much too large to be collected by real systems, when dimension of data increases. Moreover surprising phenomena appear when working in high dimension [12] : for example, distances variance between vectors remains fixed while its average increases with the space dimension, and Gaussian kernel local properties are also lost. These last points explain that behaviour of a number of artificial neural network algorithms could be affected while dealing with high-dimensional data. Fortunately, most real-world

problem data are located in a manifold of dimension p much smaller than its raw dimension. Reducing data dimensionality to a smaller value can therefore decrease the problems related to high dimension.

#### 2.1 SELF ORGANIZING MAPS

Self-Organizing Map is a classical method originally proposed by Kohonen [13]. The algorithm projects multidimensional feature space into a lowdimensional presentation. Typically a SOM consists of a two dimensional grid of neurons. A vector of features is associated with each neuron. During the training phase, these vectors are tuned to represent the training data under constraint of neighbourhood conservation Similar data are projected to the same or nearby neurons in the SOM, while different ones are mapped to neurons located further from each other, resulting in a clustering data. Thus SOM is an efficient tool for quantizing the data's space and projecting this space onto a low-dimensional space, while conserving its topology. SOM is often used in industrial engineering [14], [15] to characterize high-dimensional data or to carry out classification tasks. Unfortunately it suffers of major drawbacks: first the configuration of the topology is static and should be fixed a priori (what is efficient only for little values of projection subspace dimension), moreover the method defines only a discrete nonlinear subspace and finally algorithm is computationally too expensive to be practically applied for projection space dimension higher than three.

# 2.2 CURVILINEAR COMPONENTS ANALYSIS

The goal of this technique proposed by Demartines [16] is to reproduce the topology of a ndimension original space in a new p-dimension space (where p < n) without fixing any configuration of the topology. To do so, a criterion characterizing the differences between original and projected space topologies is processed:

$$E_{CCA} = \frac{1}{2} \sum_{i} \sum_{j \neq i} (d_{ij}^{n} - d_{ij}^{p})^{2} F(d_{ij}^{p})$$
(1)

where  $d_{ij}^n$  (respectively  $d_{ij}^p$ ) is the Euclidean distance between vectors  $x_i$  and  $x_j$  of considered distribution in original space (resp. in projected space), and F is a decreasing function which favors local topology with respect to the global topology. This energy function is minimized by stochastic gradient descent [17]:

$$\forall i \neq j, \Delta x_i^p = \alpha(t) \frac{d_{ij}^n - d_{ij}^p}{d_{ii}^p} u(\lambda(t) - d_{ij}^p)(x_i^p - x_j^p)$$
(2)

where  $\alpha : \Re^+ \to [0;1]$  is a decreasing function representing a learning parameter, and  $\lambda : \Re^+ \to \Re^+$  is a decreasing function too, representing a neighborhood factor. CCA provides also a similar method to project, in continuous way, new points in the original space onto the projected space, using the knowledge of already projected vectors.

#### 2.3 CURVILINEAR DISTANCE ANALYSIS

Since CCA encounters difficulties with unfolding of very non-linear manifolds, an evolution called CDA has been proposed [18]. It involves curvilinear distances (in order to better approximate geodesic distances on the considered manifold) instead of Euclidean ones. Curvilinear distances are processed in two steps way. First is built a graph between considering k-NN,  $\mathcal{E}$ , or other vectors by neighborhood, weighted by Euclidean distance between adjacent nodes. Then the curvilinear distance between two vectors is computed as the minimal distance between these vectors in the graph using Dijkstra's algorithm. Finally the original CCA algorithm is applied using processed curvilinear distances. This algorithm allows dealing with very non-linear manifolds and is much more robust against the choices of  $\alpha$  and  $\lambda$  functions.

#### 3. EXPERIMENTAL VALIDATION PROTOCOL

In order to obtain exploitable data for a classification scheme, we first needed to extract relevant information of raw Nomarski's microscopy issued images. We proposed to proceed in two steps [2]: first a detected items' images extraction phase and then an appropriated coding of the extracted images. The image associated to a given detected item is constructed considering a stripe of ten pixels around its pixels. Thus the obtained image gives an isolated (from other items) representation of the defect (e.g. depicts the defect in its immediate environment). Fig. 1 gives four examples of detected items' images using the aforementioned technique. It shows different characteristic items which could be found on optical device in industrial environment. The information contained in such images is highly redundant. Furthermore, the generated images don't have necessarily the same dimension (typically this dimension can turn out to be thousand times as high). That is why these raw data (images) cannot be directly processed and has to be appropriately

encoded.



Fig. 1 – Images of characteristic items: a) scratch; b) dig; c) dust; d) cleaning marks.

This is done using a set of Fourier-Mellin transform issued invariants described bellow. The Fourier-Mellin transform of a function  $f(r;\theta)$ , in polar coordinates, is given by relation (1), with  $q \in Z$ ,  $s = \sigma + ip \in C$  (see[19]):

$$M_{f}(q;s) = \int_{r=0}^{\infty} \int_{\theta=0}^{2\pi} r^{s-1} \exp(-iq\theta) f(r;\theta) dr d\theta \quad (3)$$

In [20], are proposed a set of features invariant on geometric transformations:

$$I_f(q,s) = M_f(q,s) \Big[ M_f(0,\sigma) \Big]^{-s} \Big[ M_f(1;\sigma) \Big]^{-q} \Big| M_f(1;\sigma) \Big|^q \qquad (4)$$

In order to validate the above-presented concepts and to provide an industrial prototype, an automatic control system has been realized. It involves an Olympus B52 microscope combined with a Corvus stage (see Fig. 2), which allows scanning an entire optical component. 50x magnification is used, that leads to microscopic 1.77mm x 1.33 mm fields and  $1.28\mu m x 1.28\mu m$  sized pixels.



Fig. 2 – The Olympus microscope.



Fig. 3 – dy-dx representation of the three obtained SOMs for database B (mean □ and standard deviation ◊ of dx are also represented). Top: SOM; middle: CCA; bottom: CDA.

The defects detection methods are implemented in the system in an efficient way, so the prototype permits to check optical devices within execution times in adequacy with production conditions (typically 10 mm x 10 mm surface measured in one minute). These facilities were used to acquire a great number of defects images. These images were coded using Fourier-Mellin transform with  $\sigma = 1$  and  $(q, p) \in \{(q, p)/(q = 0; 0 \le p \le P) \cup (1 \le q \le Q; -P \le p \le P)\}$ 

where P = 1 and Q = 2 (see Equation 3 and 4). Such orders of Mellin resp. Fourier spectrum (P resp. Q values) form a first compromise between the size and the quality of the representation and provides a set of 13 features for each item. Three experiments called A, B, C were carried out, using two optical devices. Table 1 shows the different parameters corresponding to these experiments. It's important to note that, in order to avoid false classes learning, items images depicting microscopic field boundaries or two (or more) different defects are discarded from used database. First, since database C is issued from a cleaned device, it's constituted with almost only "permanent" defect. And because database B came from the measurement of the same optical device but without cleaning phase, it's constituted with the same type of "permanent" defects but also with "abiding" ones.

Database	Α	В	С
Optical Device Identifiant	1	2	2
Cleaning	NO	NO	YES
Number of studied microscopic fields	1178	605	529
Correspondant studied area	28	14	12.5
Number of items in the learning database	3865	1910	1544

Table 1. Description of the three experimentssupplying studied databases.

In the aim of studying structure of space described by database when reducing its dimension, we perform some experiments. First a reduction of dimensionality from 13 (raw dimensionality) to 2 of the database B was performed using SOM, CCA and CDA, in order to compare projection quality of these three techniques. Then the entire database C was projected into the obtained space in order to evaluate the pertinence of dimensionality reduction for discrimination between "correctable" and "abiding" defects. Secondly, a synthetic classification task, involving aforementioned databases and Multilayer Perceptron artificial neural network, was carried out with and without dimensionality reduction phase with the aim to demonstrate usefulness of such preprocessing phase. Finally, we validate the previous results by studying the impact of different dimensionality reduction on a real problem: an expert was asked to define two different real classes of defects and a MLP was used to discriminate between these two classes.

#### 4. EXPERIMENTAL RESULTS AND ANALYSIS

### 4.1 QUALITY OF PROJECTION

Dimensionality reduction has been performed using the three aforementioned techniques, SOM, ACC and CDA on database B. To compare the results of the three experiments, the 2-D projections issued from CCA and CDA were processed by a SOM, using the same shape of grid (20x8) as in the SOM experiment. An important point is that SOM is just used, in these two past cases, to perform a quantization and not for dimension reduction, since it works on a 2 dimension space. Therefore, we can directly compare dimension reduction ability of the different techniques by comparing these maps with map obtained by applying SOM's algorithm on raw data. The quality evaluation of non-linear projection of the data space onto the neurons grid space is performed by studying, for each pair of neurons, the dx distance between these two neurons in the data space, versus the dy distance between these two neurons in the grid space [21]. For each couple of neurons (i; j) we draw a point (dy(i, j); dx(i, j))where  $dx(i, j) = \|\vec{x}_i - \vec{x}_j\|$  and  $dy(i, j) = \|\vec{y}_i - \vec{y}_j\|$ .  $\vec{x}_{k}$  (resp.  $\vec{y}_{k}$ ) is the vector of features corresponding

to the k-th neuron in the data space (resp. in the grid space). If the topology of the data space is not well respected, dx is not related to dy and we obtain a diffuse cloud of points. On the contrary, if neurons organization is correct, the drawn points are almost arranged along a straight line.

First, in Fig. 3, cloud of points is more diffuse for SOM than in the case of CCA, and the curve constituted by dx averages for each dy less uniformly monotonic. It reveals the fact that the SOM. performs better than CCA while approximately the same quantity is minimized. The cloud obtained for CDA is quite different because dy is related to curvilinear distance and not Euclidean one. The figure is however the same as for CCA for little dy value, because in these cases Euclidean distance is a good approximate of curvilinear one (and therefore distribution is locally linear).

# 4.2 ANALYSIS OF POSSIBLE IMPACT ON CLASSIFICATION TASKS

We now consider the database C (only "permanent" defects) and project its items onto the three previously obtained SOMs. We perform also an equivalent experiment on raw data (13-dimension), using k-means algorithm with k=20x8=160. Since k-means algorithm has identical behaviour as SOM, except concerning

neighbourhood constraints, it has the same effect on projected items distribution but doesn't allow visual representation. Projected items distribution after SOM (Fig. 3), CCA (Fig. 4) and CDA (Fig. 5) dimension reduction are studied. In these figures, the equalized grey level depicts the number of projected items for each SOM's cell (this number is also reported in the cell).

In table 2 are reported some characteristic values "homogeneity": entropy distributions of and standard deviation of projected items number in each cell; number of empty or quasi-empty cells (less than three projected items). Maps and numerical measurements for SOM and CCA are comparable and therefore these techniques are equivalent for the considered problem. CCA is however easier to perform (no a priori knowledge or difficult choice) information (continuous provide more and projection). CDA offers the same advantages as CCA, but it seems to be more appropriate for preprocessing before classification. Corresponding map depicts indeed more specific "areas" for database C projected defects.

Table 2. Different measurements characterizing the projections distribution of database C items (permanent defects).

Dimensionality reduction technique	None	SOM	CCA	CDA
Standard-deviation of distribution	8.72	5.78	5.72	7.04
Entropy of defects distribution	2.055	2.114	2.121	2.088
Number of empty cells	15	9	5	7
Number of cells with less than 3 defects	30	26	20	32

This intuition is confirmed by numerical measurements: entropy is lower than in SOM and CCA cases (better organization), standard deviation is higher (better contrast between full and empty areas) and there are more quasi-empty cells. We think that this organization is a foremost guarantee for the dimension reduction to allow a better classification. We can also remark that results obtained with CDA are fairly similar as those with raw data; it shows that little information is lost while reducing dimensionality.

			_																
9	8	12	8	15	13	9	5	8	8	8	16	Z	8	۵	۵	۵	2	۵	5
3	11	16	10	3	Z	3	9	3	3	ā	25	3	13	9	1	۵	1	۵	1
15	11	15	11	9	3	3	12	8	14	9	14	3	3	a	٥	3	3	з	٥
15	12	3	10	3	14	Z	21	15	11	15	16	3	3	3	0	3	11	з	13
4	z	Z	14	9	15	12	13	13	13	10	19	3	3	3	1	3	22	8	12
4	2	3	14	14	9	3	18	16	з	23	15	2	4	4	3	14	12	10	10
12	24	25	2	8	12	17	з	3	10	14	23	14	17	Z	3	13	17	11	12
18	10	Z	п	17	3	17	11	14	14	15	21	п	20	12	12	13	9	17	9

Fig. 4. Distribution of projected items in SOM map. (SOM reduction dimension)

5	13	11	2	11	2	9	10	3	3	9	13	14	16	21	13	9	17	11	8
Z	11	Z	8		8	10	8	3	12	3	3	12	11	3	15	10	3	9	4
20	2	9	8	17	19	10	14	9	11	3	3	3	14	11	16	9	8	15	Z
22	13		17	8	3	Z	12	21	10		3	11	3		3	5	15	3	22
5	Z	Z	9	3	13	14	3	19	24	17	25	24	18		17		17		4
18	3	3	15	3	16	13	15	3	16	18	11	Z	8	3	3	3	1	۵	2
3	9	13	17	Z	14	17	11		12	3	3	3	۵	۵	8	2	1	۵	2
3	4	Z	9	14	19	16	20	11	16	17	8	1	3	3	3	3	3	8	۵

Fig. 5. Distribution of projected items in SOM map. (CCA reduction dimension)

18	Z	14	21	36	21	12	10	1	24	11	2	3	11	2	12	8	13	3	4
4	0	۵	2	14	9	8	2	8	7	3	0	3	30	9	12	11	18	10	4
0	٦	3	٦	Z	3	14	3	3	3	3	2	٥		9	Z	3	14	12	8
٥	3	11	13	9	17	12	3	٥	3	8	3	3	15	2	2	13	21	8	3
٥	3	8	8	3	3	Z	14	Z	9	8	8	3	14	8	20	17	16	15	9
3	3	Z	3	13	12	17	8	8	Z	18	8	19	3	9	28	20	13	18	3
Z	6	3	8	20	14	8	8		8	12	ā	Z	8	20	27	13	21	19	3
11	8	15	9	10	9	5	11	19	3	4	22	26	15	14	33	11	15	15	16

Fig. 6. Distribution of projected items in SOM map. (CDA reduction dimension)

# 4.3 EXPERIMENTATION ON A REAL PROBLEM

In order to evaluate the benefits of using dimensionality reduction in our diagnosis system, we performed a series of experiments involving a real classification task. Items of the databases A and B were labelled by an expert with two different labels: "dust" (class 1) and "other defects" (class 2). Considering our final goal, this is the most important distinction which the diagnosis system must be able to do. Table 3 shows items repartition between the two defined classes.

Database	Coming from database	Total number of items	Label 1 items	Label 2 items
1	А	3865	275	3590
2	В	1910	184	1726

Table 3. Description of real classification databases.

Using these databases, a number of experiments were carried out, in accordance with a same procedure. It involved a multilayer perceptron with n input neurons, 35 neurons in one hidden layer, and 2 output neurons (n-35-2 MLP). First this artificial neural network was trained for discrimination task between classes 1 and 2, using database B. This training phase used BFGS (Broyden, Fletcher, Goldfarb, and Shanno) with Bayesian regularization algorithm, and was achieved 5 times. Subsequently, the generalization ability of obtained neural network was processed using database A. Since database A and B issued from different optical devices, such generalization results are significant. Following this procedure, 28 different experiments were conducted with the aim of studying the global classification performance and the impact of SOM, ACC and CDA dimensionality reduction on this performance. First experiment used original Fourrier-Mellin issued features (13-dimensional), the second used 2D SOM reduced features, and the others used the original features after ACC or CDA n-dimensional space reduction (with n varying between 2 and 13).

Fig. 7 depicts classification global performances (calculated by averaging percentage of wellclassified items for the 5 trainings) for the 28 different experiments (for different CDA and CCA issued data dimensionality reduction, for 2D SOM data dimensionality reduction and using raw data). Fig. 8 and Fig. 9 show the class 1 ("dust defects") and the class 2 ("other defects") classification performances respectively. In this two figures the standard deviation of the 5 experiments results are also represented.

### 4.4 DISCUSSION

First, these experiments show that CDA and CCA generate almost the same performances (CDA is although slightly better) but outperform SOM issued results (see Table 4) for 2D data dimensionality reduction. It is due to the better quality and the continuous nature of the projection provided by these techniques. Thus, it confirms the previous results presented in this paper.

Table 4. Classification performances for the threedifferent techniques, when reducing datadimensionality down to 2.

Dimensionality Reduction Technique	SOM	ССА	CDA
Class 1 Recognition	63.9 %	61.9 %	56.8 %
Class 2 Recognition	91.6 %	96.9 %	97.7 %
Global Performance	89.7 %	94.4 %	94.8 %

Secondly, we can remark (see Table 5) that equivalent performances can be obtained using lowdimensional data instead of unprocessed defects representations (for example using 6-dimensional CDA or 8-dimensional CCA issued representation instead of raw 13-dimensional representation).

Table 5. Classification performances with raw data,
CDA and CCA issued data. For CCA and CDA,
results are given for the data dimensionality which
allows the better global performance.

Used Data	Raw	CCA Issued	CDA Issued
Data Dimensionality	13	8	6
Class 1 Recognition	70.2 %	63.9 %	62.0 %
Class 2 Recognition	97.2 %	97.2 %	97.7 %
Global Performance	95.3 %	94.8 %	95.1 %



Fig. 7. Classification global performances.



Fig. 8. Class 1 ("dust defects") classification performances. Standard deviation of the 5 experiments results are also represented.



Fig. 9. Class 2 ("other defects") classification performances. Standard deviation of the 5 experiments results are also represented.

As a consequence neural architecture complexity and therefore processing time can be saved using dimensionality reduction, while keeping performance level. Moreover, obtained scores are satisfactory: about 65% of "dust" defects are wellrecognized (this can be enough for aimed application) as well as about 97% of other defects (the few 3% errors can however pose problems because every "permanent" defect has to be reported). Furthermore, we think that this significant performances difference between class 1 and class 2 recognition performances is due to the fact that class 1 is underrepresented in learning database. On another hand, obtained results show that the compromise between these two different performances can be managed by choosing an adequate data final dimension.

Finally, we can see in Fig. 8 and 9 that standard deviation values are relatively small, what's a sign of the training phase quality. In addition, performance in class 1 recognition is relatively low when reducing data dimensionality down to two (there's probably no more enough information to correctly classify "dust" defects). But it increases steadily until 5-dimensional CDA issued space. This result agrees with estimated items distribution intrinsic dimension between 5 and 6 (estimation used Grassberger-Procaccia [22] modified algorithm [23]). It's interesting to note that the global performances are optimal for such a final dimensionality using CDA (about 95% of wellclassified defects what is equivalent to performances obtained when using raw data). This level of performance is reached as well with 10 and 11dimensional CDA reduction and only in these cases. This last point will be studied in greater detail in another paper.

### **5. CONCLUSION**

A reliable diagnosis of aesthetic flaws in highquality optical devices is a crucial task to ensure products' nominal specification and to enhance the production quality by studying the impact of the process on such defects. To ensure a reliable diagnosis, an automatic classification system is needed in order to discriminate the "false" defects (correctable defects) from "abiding" (permanent) ones. Unfortunately relevant data extracted from raw Nomarski image during defects detection phase are high dimensional. This can have harmful effect on behaviors of artificial neural networks which are suitable to perform such a challenging classification. Reducing the dimension of the data to a smaller value can decrease the problems related to high dimension. In this paper we have compared different techniques, SOM, CCA and CDA which permit such

dimensionality reduction and evaluated their possible impact on classification tasks involving real industrial data. CDA seems to be the most suitable technique and we have demonstrated its ability to enhance performances (in terms of time and/or wellclassified items) in a real classification problem. Next phase of this work will deal with classification tasks involving more classes. We want also use much more Fourier-Mellin invariants, because we think that it would improve classification performance by supplying additional information. CDA based dimensionality reduction technique would in this case be a foremost step to keep reasonable classification system's complexity.

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