

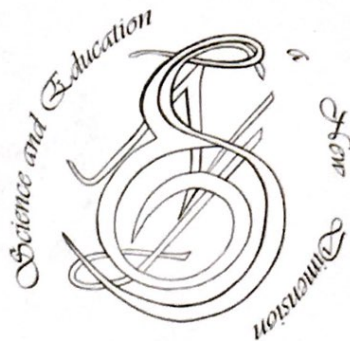
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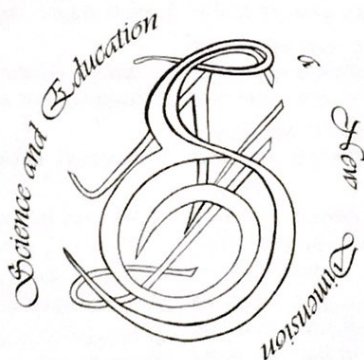
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Geometrically Nonlinear Transversal Vibrations of Corrugated Cylindrical Shells

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Abstract. The expressions for the geometric characteristics of the median surface of the corrugated cylindrical shell, depending on the frequency and amplitude of the corrugation, are obtained. The character of the dependence of the first natural frequency of geometrically nonlinear vibrations of corrugated elongated cylindrical panels on the corrugation frequency is investigated.

Keywords: corrugated cylindrical shell, vibrations, natural frequencies, geometrically nonlinearity.

Introduction. Shell elements are one of the most common components of loaded structures and structures of various intended use. This is due to their rational material capacity and the ability to provide the necessary stiffness in certain areas that require operating conditions. Among the various types of shells, a special place is occupied by circular cylindrical shells and their fragments. A large number of works [10] is devoted to the simulation of deformation and the methods of their calculation for the actions of both static and dynamic loads. Less investigated are cylindrical shells coiled in the direction of the circular coordinates, especially for dynamic geometrically nonlinear deformation, in particular their transverse oscillations. To avoid resonance phenomena due to the effects of intense vibration loads, it is necessary at the design stage to determine the spectra of the natural frequencies of the specified structural elements.

Linear free vibrations of corrugations in the direction of the angular coordinates of cylindrical shells were investigated in [3, 7–9]. In [1, 4, 11] their geometrically nonlinear vibrations were investigated. Various applied shell theories were used for this purpose. However, such an approach does not allow fully (exactly) take into account the geometry of the middle sections of such shells and the specificity of the elastic characteristics of materials used for their manufacture. In order to eliminate this shortcoming in this paper, a method is presented for determining the amplitude-frequency characteristics of corrugated cylindrical shells on the basis of spatial dynamic geometrically nonlinear relations of the theory of elasticity.

Problem statement. At first, consider the thin curvilinear elastic layer in thickness h with a cylindrical median surface of the radius R . We refer this surface to the natural mixed coordinate system $\alpha_1 = \varphi, \alpha_2 = z, \alpha_3 = r$ (see Fig. 1).

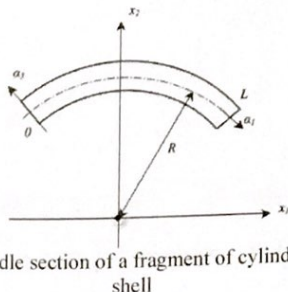


Fig. 1. The middle section of a fragment of cylindrical circular shell

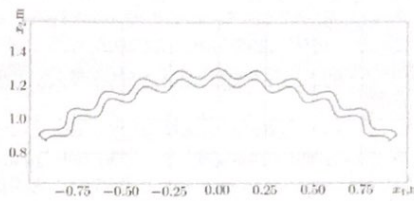


Fig. 2. The middle section of a fragment of corrugated cylindrical circular shell

Now let the mid-section of the layer have the form, as in Figure 2. We introduce on its mid-surface the same as for a circular cylindrical surface, a mixed coordinate system $\alpha_i, i = 1, 2, 3$, which is connected with Cartesian $x_i, i = 1, 2, 3$ by relations

$$x_1 = (R + \alpha_3 + g_A \cos(g_v a(\alpha_1))) \cos(a(\alpha_1));$$

$$x_2 = (R + \alpha_3 + g_A \cos(g_v a(\alpha_1))) \sin(a(\alpha_1)); \quad x_3 = \alpha_2 \quad (1)$$

where R – the radius of the median surface of the circular cylindrical shell, the upper and lower facial surfaces of which pass through the vertices of the corrugations; $L = \alpha_1^0$ – the length of the arc of the creature; g_A – amplitude of corrugation; g_v – corrugation frequency; $a(\alpha_1) = \pi/2 + K(L/2 - \alpha_1)$; $K = 1/R$.

Functions that determine the characteristics of a geometrically nonlinear vibration process describe the dependencies [6]:

1. motion equations

$$\text{div} \hat{S} = \rho \frac{\partial^2 U}{\partial t^2} \quad (2)$$

2. elasticity relations

$$\hat{\Sigma} = \tilde{A} \otimes \hat{\varepsilon} \quad (3)$$

3. deformation relation between the strain tensor components $\hat{\varepsilon}$ and the components of the elastic displacement vector $\vec{U} = u_i \vec{e}_i$

$$\varepsilon_{ij} = \frac{1}{2} (\nabla_i u_j + \nabla_j u_i + \nabla_i u^k \nabla_j u_k) \quad (4)$$

4. relation between the components S^{ij} of the nonsymmetrical Kirchhoff stress tensor \hat{S} and the components σ^{ik} of the symmetric Piola stress tensor $\hat{\Sigma}$

$$S^{ij} = \sum_k \sigma^{ik} (\delta_k^j + \nabla_k u^j) \quad (5)$$

In equations (2) and (3) \tilde{A} – tensor of elastic characteristics of the layer, and ρ – its density.

Boundary conditions on the front surfaces of the shell $\alpha_3 = \pm h/2$ for the free vibrations has the form

$$S^{3i}(\alpha_1, \alpha_2, \pm h/2, t) = 0, |\alpha_i| \leq \alpha_i^0, i = 1, 2 \quad (6)$$

and on its ends $\alpha_1 = \pm \alpha_1^0$ at their hinged fixing on the lower front surface $\alpha_3 = -h/2$:

$$S^{1i}(\pm \alpha_1^0, \alpha_2, \alpha_3, t) = 0, (7)$$

$$u_i(\pm \alpha_1^0, \alpha_2, -h/2, t) = 0, i = 1, 2, 3, \sigma = 0, l \quad (8)$$

The motion equations (2) together with relations (3)–(5) and boundary conditions (6)–(8) are describe geometrically nonlinear transverse vibrations of the corrugated elastic layer.

Solution of the problem. For the radius vector of shell generatrix from (1) we have the expression

$$\tilde{r}(\alpha_1) = \begin{pmatrix} (R + g_A \cos(g, a(\alpha_1))) \cos(a(\alpha_1)) \\ (R + g_A \cos(g, a(\alpha_1))) \sin(a(\alpha_1)) \end{pmatrix} \quad (9)$$

Radius vector of each point of the median cross-section of the layer

$$\tilde{R} = \tilde{r}(\alpha_1) + \alpha_3 \tilde{n}(\alpha_1).$$

For vectors of the covariant base of the median surface of the corrugated layer (corrugated cylindrical shell) from (1) together with (9) we obtain:

$$R_1 = (w \sin(a) + z \cos(a)) \tilde{e}_1 + (-w \cos(a) + z \sin(a)) \tilde{e}_2;$$

$$R_2 = \cos(a) \tilde{e}_1 + \sin(a) \tilde{e}_2; \quad R_3 = \tilde{e}_3,$$

where

$$w = w(\alpha_1, \alpha_2) = q + g_A K \cos(g, a);$$

$z = z(\alpha_1) = g_A g, K \sin(g, a); \quad \tilde{e}_i, i = 1, 3$ – the basic vectors of the Cartesian system $x_i, i = 1, 3$.

For radius vector of the tangent to the generatrix we obtained the following expression

$$\tilde{r}'(\alpha_1) = \begin{pmatrix} (1 + g_A K \cos(g, a)) \sin(a) + g_A g, K \sin(g, a) \cos(a) \\ -(1 + g_A K \cos(g, a)) \cos(a) + g_A g, K \sin(g, a) \sin(a) \end{pmatrix}.$$

Then for the normal to the generatrix we gives

$$\tilde{n}(\alpha_1) = \frac{1}{\sqrt{\tilde{r}'(\alpha_1)_x^2 + \tilde{r}'(\alpha_1)_y^2}} \begin{pmatrix} -\tilde{r}'(\alpha_1)_y \\ \tilde{r}'(\alpha_1)_x \end{pmatrix} = \frac{1}{\sqrt{(1 + g_A K \cos(g, a))^2 + (g_A g, K \sin(g, a))^2}} \times \begin{pmatrix} (1 + g_A K \cos(g, a)) \cos(a) - g_A g, K \sin(g, a) \sin(a) \\ (1 + g_A K \cos(g, a)) \sin(a) + g_A g, K \sin(g, a) \cos(a) \end{pmatrix}.$$

In Figures 3 and 4 depicts the location of vectors normal to the median surface of the corrugated cylindrical shell for two different corrugation frequencies.

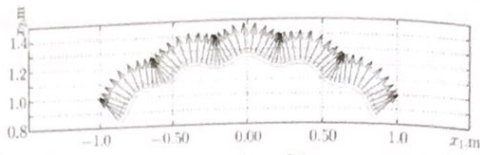


Fig. 3. Appearance of the section of the corrugated shell and normal to the median surface at $L = 1$ m, $R = 1.25$ m, $h = 0.05$ m, $g_A = 0.03$ m, $g_v = 20$

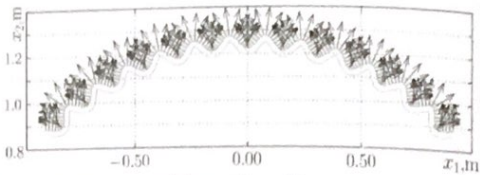


Fig. 4. Appearance of the section of the corrugated shell and normal to the median surface at $L = 1$ m, $R = 1.25$ m, $h = 0.05$ m, $g_A = 0.03$ m, $g_v = 50$

Similarly, we construct a covariant base and normal and tangent on the facial surfaces of the considered shell. This is necessary for the possibility of using the proposed and substantiated numerical method in [6] to find a finite number of natural frequencies and modes of elongated cylindrical shells with arbitrary form of generators in geometrically nonlinear vibrations. The method is based on the linear approximation of displacements of the shell points along the normal coordinate, in combination with the finite element method, according to the tangential coordinate on the median surface shell [2]. The resulting system of nonlinear algebraic equations with respect to approximation coefficients is solved by an improved perturbation method, which was proposed and theoretically substantiated in [5].

Numerical example and conclusions. As an object, an elongated cylindrical shell with a length of generatrix $2L = 2$ m, the radius of the median surface of the shell, whose facial surfaces pass through the edges of the corrugations, $R = 1.25$ m and elastic characteristics, are chosen: $E = 2.1 \cdot 10^{11}$ H/M², $\nu = 0.3$, $G = 8.1 \cdot 10^{10}$ H/M² and density $\rho = 8 \cdot 10^3$ kg/m³. The influence of corrugation frequency g_v on the minimum natural frequency ω_{mn} is investigated.

Table. The dependence of the ω_{mn} on the g_v

g_v	2	4	6	8	10	20	50	80	100	200	300	500
ω_{mn} [Hz]	799	775	692	1025	1056	3658	6383	6936	7709	5559	4914	3195

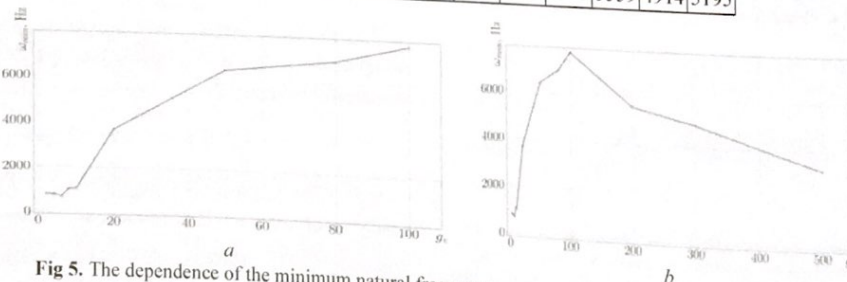


Fig. 5. The dependence of the minimum natural frequency ω_{mn} on the corrugation frequency g_v .

As can be seen from the results shown in the Table and graphs in Fig. 5 the minimum ω_{min} is achieved at $g_v = 6$, which coinciding with the conclusions of article [7]. Also from Figure 5b it can be concluded that when $g_v \rightarrow \infty$ the value ω_{min} goes to a certain value greater than the first

proper frequency of the non-circular cylindrical shells. This is due to the fact that the boundary transition obtained by the smooth shell has a greater thickness than the original non-enveloped shell.

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